Gender-based Indicators in Human Development: Correcting for 'Missing Women'

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Indira Gandhi Institute of Development Research (IGIDR)
General Arun Kumar Vaidya Marg
Goregaon (E), Mumbai-400065, INDIA
Emails: hnathan@igidr.ac.in

Phone: +91-9867582994, Fax - +91-22-28416399

Abstract

Gender Development Index and Gender Empowerment Measure are two gender-based indicators provided by the United Nations Development Program. Population share of the genders enter the formulation of these indicators in such a way that it favours the better performing gender. This can lead to further additions to 'missing women'. A correction is proposed to capture this anomaly. This alternative satisfies an axiom of Monotonicity with its two corollaries, that is, given attainments the measure maximizes at ideal sex ratio and vanishes when one of the genders becomes extinct. An empirical illustration by taking life expectancy data of countries is given.

Keywords: Ideality, Extinction, Index, Inequality, Sex-ratio

JEL Codes: D63, J16, I31, O15

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1. Introduction

United Nations Development Program (UNDP) measures gender sensitive human development through two indicators, namely, Gender Development Index (GDI) and Gender Empowerment Measure (GEM). These indicators measure the *overall* achievement taking note of inequality between the two genders. GDI adjusts the average development, measured by Human Development Index (HDI), to reflect the gender inequalities in the three dimensions of health, education and ability to achieve a decent standard of living. GEM captures the inequalities in opportunities between men and women in the three dimensions of political participation, economic participation and power over economic resources. For each dimension of GDI and GEM, an equally distributed equivalent index, X_{ede} is computed by combining female and male indices in a way that penalizes differences in achievement between the two genders.² The population-proportion of female and male enter into the formulation of X_{ede} as weights to female and male achievements respectively, like the case of weighted mean. This follows that for a given level of female and male achievements, a rise in the population proportion of the gender with a higher level of achievement will result in higher X_{ede} . It leads to rewarding of countries having imbalanced population-proportion biased towards the higher performing gender as shown in the following example.

The life expectancy indices of female and male for United Arab Emirates (UAE) are 0.892 and 0.905 respectively, and that of United Kingdom (UK) are 0.895 and 0.903.³ In terms of X_{ede} of life expectancy, UAE and UK score 0.901 and 0.899 respectively and their ranks are 19 and 21 in the world.⁴ This indicates both the countries are close to each other in terms of health dimension of GDI. However, in terms of population-proportion, male/female for UAE is 0.68/0.32 and that of UK is 0.49/0.51. In fact UAE, with more than two males for

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² For the expression of X_{ede} , see Section 2 of this paper. The formula for female and male indices is: Index=(actual-minimum)/(maximum-minimum).

³ Life expectancy index is computed by positing a minimum and maximum. The minimum and maximum values for life expectancy at birth (in years) for female are 27.5 and 87.5 and for male, the corresponding figures are 82.5 and 22.5 respectively.

⁴ The ranks for 173 countries, out of the total 177 countries listed in Human Development Report (HDR) 2007/2008 (UNDP, 2007), are computed on the basis of X_{ede} of life expectancy. Life expectancy data for four countries Antigua and Barbuda, Dominica, Saint Kitts and Nevis, and Seychelles are not available.

every female, has the most skewed sex ratio in the world. UK, on the contrary, has a balanced sex ratio. Also, the difference in life expectancy indices of female and male for UK is 0.008 which is less than that of UAE, which is 0.013. Yet, UAE ends up fetching a better rank than UK. Instead of being penalized for imbalanced population-proportion, UAE gets rewarded as the imbalance favours male which has higher life expectancy.

The UAE story repeats for countries like Quatar, Kuwait, Bahrain, Oman, Saudi Arabia. Their imbalanced population-proportion acts to their advantage. This anomaly affects all equally distributed indices used in the measure different dimensions of GDI and GEM. These indices signal countries to favour the higher performing gender and neglect the gender which is lower in performance (typically female). This leads to further additions to 'missing women'. For example, a country, where female literacy is lower than male can improve its education dimension of GDI, by improving the male/female ratio; through female infanticide, abandonment of newborn girls, and neglect of daughters. So, as gender sensitive development indicators, the signal of GDI and GEM is counter intuitive. Ideally, these indicators should signal countries to correct their gender imbalances in population-proportion, rather than to distort it further.

This paper revisits the gender-based indicators and proposes a correction so as to account for population-proportion of female and male in such a way that countries farther to the ideal sex ratio are penalized. An axiom of Monotonicity, with its two corollaries: Ideality and Extinction, is posited to characterize the measure. To demonstrate the advantage of the proposed measure, equally distributed life expectancy index has been used. The paper makes use of life expectancy data from the latest HDR (UNDP, 2007) and population data from United Nations (UN, 2008).

2. Conventional measure

For a pair of female and male achievements (X_{f}, X_{m}) , equally distributed equivalent index, X_{ede} is given by general formula

$$X_{ede} = \left[(p_f(X_f)^{(1-\varepsilon)} + p_m(X_m)^{(1-\varepsilon)} \right]^{1/(1-\varepsilon)} \text{ where } \varepsilon \ge 0 \& \varepsilon \ne 1;$$

$$X_{ede} = (X_f)^{Pf} (X_m)^{Pm} \text{ for } \varepsilon = 1$$

$$\tag{1}$$

⁵ 'Missing women' is the term coined by Amartya Sen (Sen, 1992) to describe the terrible deficit of women in substantial part of Asia and North Africa due to sex bias in relative care. This term is used in the present paper as an analogy to describe disadvantaged gender which can be male as well. For instance, a country prone to war will have female life expectancy relatively higher due to decimation of men fighting war.

⁶ The composite indices GDI and GEM are not recalculated here, as aggregated values will be inconclusive on the effect on individual dimensions.

where, p_f and p_m are proportion of female and male respectively such that $p_m+p_f=1$ and ε is the aversion to inequality. For moderate penalty, the value 2 is used for ε (UNDP, 2007). With $\varepsilon=2$, X_{ede} is the harmonic mean of X_f and X_m , given by

$$X_{ede} = \left[(p_f(X_f)^{(-1)} + p_m(X_m)^{(-1)})^{(-1)} \right]$$
 (2)

The properties of X_{ede} are listed in Appendix 1.⁷ Given (X_f, X_m) , X_{ede} varies between X_f to X_m as p_f , p_m vary. Fig.1 plots this variation, with X_f =0.3 and X_m =0.8. A rise in the population proportion of the gender with higher level of achievement (here male, as $X_m > X_f$) results in higher X_{ede} . The boundary conditions are at p_m =0, X_{ede} = X_f and at p_m =1, X_{ede} = X_m . All this is counter intuitive for a development indicator sensitive to gender. How can it boils down to the achievement of one gender when the other gets extinct! Does existence or extinction of genders or sex-ratio has nothing to do with gender-development or gender-equity!

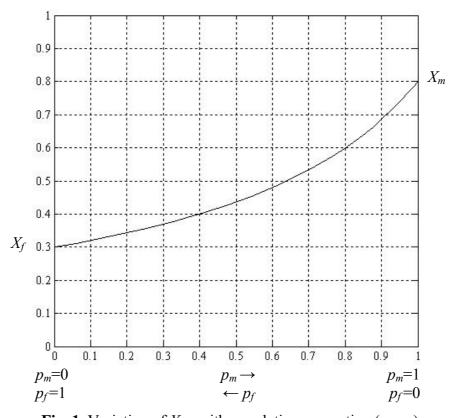


Fig. 1. Variation of X_{ede} with population proportion (p_m, p_f)

Since rise in the population proportion of higher performing gender leads to higher X_{ede} , a country gets rewarded for deviation from the ideal sex ratio half of the time i.e. when

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⁷ These properties are noted in Anand and Sen (2003), some in the text, and some in Appendices. For details of the proof of the properties, see the same paper. Here, they are collated together in a tabular form for comparison of the present measure with the proposed one.

the deviation favours the advantaged gender. The irony is that instead of being penalized for not able to protect the gender, a country maximizes its X_{ede} when the lower performing gender gets extinct. So, X_{ede} , and in turn the measures based on X_{ede} do not signal countries to maintain population-proportion of female and male at a balanced state. The gulf countries, for instance, do not get any signal to have policies to balance their sex ratio. Rather they would prefer a more skewed sex ratio biased towards men, as it leads to higher value of X_{ede} . The signal of conventional measure of X_{ede} is: 'more achievement, more proportion – the better'. The correct signal is: 'more achievement, ideal proportion – the better'. The following section briefs on ideal proportions of female (p_{fi}) and male (p_{mi}) in human population.

3. Ideal sex ratio for human population

The actual average sex ratio of entire world population is 1.01 (UN, 2008).8 However, the value of ideal sex ratio is under debate and may vary with regions and races. The sex ratio of a population depends on three factors: the sex ratio at birth, differential mortality rates between the sexes at different ages, and losses and gains through migration (Coale, 1991). In the absence of manipulation, the sex ratio at birth is remarkably consistent across human populations, at 1.05 to 1.07 (Coale, 1991, Campbell, 2001). Although sex ratio at birth favors males, differential gender mortality favors females (Teitelbaum, 1970; Sen, 1992, Waldron 1993). Higher life expectancy in females tends to even out the sex ratio in adult population, with male excess among the young and female excess among the old (Klasen and Wink, 2003). But, manipulation at birth manifested by sex-selective abortion, and neglect and abandonment of female children, and international migration characterized by shifting of male population affect sex-ratio. However, like other species, natural human sex ratio is approximately unity and deviation is a threat to the stability and security of the society (Zeng et al, 1993, Park and Cho, 2003, Hudson and Den Boer, 2004). For simplicity, unity sex ratio i.e. equal proportion of female and male $(p_{fi}=p_{mi}=0.5)$ is used in this paper for illustrations.

4. Axiom of Monotonicity

This section presents Monotonicity property that a measure of equally distributed equivalent achievement should satisfy with respect to sex ratio.

⁸ Sex ratio is expressed in this paper as (male population)/(female population)

Axiom of *Monotonicity*: Given the achievement level of two genders, the equally distributed equivalent achievement, increases as population approaches to its ideal sex ratio. Mathematically, given X_f , X_m ($0 \le X_f$, $X_m \le 1$), X_{ede} increases as $(p_m/p_f) \to (p_{mi}/p_f)$. Referring to Fig. 1, axiom of Monotonicity requires X_{ede} to have a positive and negative slope for $p_m < p_{mi}$ and $p_m > p_{mi}$ respectively. Two corollaries of Monotonicity are axioms of Ideality and Extinction.

Axiom of *Ideality*: Given the achievement level of two genders, the equally distributed equivalent achievement maximizes at the ideal sex ratio. Mathematically, given X_f , X_m ($0 \le X_f$, $X_m \le 1$), $X_{ede} = (X_{ede})_{max}$ for $(p_m/p_f) = (p_{mi}/p_f)$. Referring to Fig. 1, axiom of Ideality requires X_{ede} to maximize at ideal proportion of female and male (say $p_f = p_{mi} = 0.5$). $x_{ede} = (x_{ede})_{max}$

Axiom of *Extinction*: Irrespective of achievement levels of two genders, if any of the genders goes extinct, the equally distributed equivalent achievement reduces to minimum possible value i.e. 0. Mathematically, for any X_f , X_m ($0 \le X_f$, $X_m \le 1$) $X_{ede} = 0$ if $p_f = 0$ or $p_m = 0$. ¹¹ Referring to Fig. 1, axiom of Ideality requires X_{ede} to be 0 at points $p_m = 0$ and $p_m = 1$.

5. Proposed measure

The genesis of the weakness of the conventional measure lies with the absence of penalty for deviating from ideal sex ratio. The conventional measure does take note of inequality in the achievements of the two genders (i.e. between X_f and X_m) in different dimensions like health, education; but inequality in proportion of population (i.e. between p_f and p_m) is not accounted. Imposition of axiom of Monotonicity will make the measure sensitive to deviation from ideal sex ratio. Accordingly, a new measure of equally distributed equivalent achievement, X_{ede} is proposed.

$${}^{n}X_{ede} = [p/p_{i}]^{\theta} [p_{f}(X_{f})^{(1-\varepsilon)} + p_{m}(X_{m})^{(1-\varepsilon)}]^{1/(1-\varepsilon)} \qquad \text{for } \varepsilon \geq 0, \theta \geq 0 \& \varepsilon \neq 1$$

$${}^{n}X_{ede} = [p/p_{i}]^{\theta} (X_{f})^{Pf} (X_{m})^{Pm} \qquad \text{for } \varepsilon = 1, \theta \geq 0$$

$$(3)$$

where p and p_i are the actual and ideal proportion of that gender whose actual population is less than or equal to the ideal. The proposed measure is different from the conventional one in the first term, i.e. the penalty factor, which takes note of the deviation from ideal sex ratio.

¹⁰ It is not compulsory to assume $p_{fi}=p_{mi}=0.5$. The debate of 'what should be the ideal sex ratio' is out of the scope of the paper. However, axiom of Ideality simply says, X_{ede} must maximize at given ideal, p_{fi} , p_{mi}

⁹ Monotonicity, here means in a strong sense.

¹¹In general, axiom of Extinction is applicable only to the gender whose ideal proportion of population is non zero. Let us consider a hypothetical specie having ideal population proportion for female and male as 1:0. Here p_m =0 is the condition for Ideality, so X_{ede} maximises. The axiom of Extinction is applicable only to female gender i.e. at p_i =0

gender i.e. at $p_j=0$ 12 Under the assumption of unity ideal sex ratio, deviation from ideal can be captured as difference of population-proportion of female and male.

The factor is powered by θ , which controls the aversion to this deviation. Larger the θ , smaller is the ${}^{n}X_{ede}$. At θ =0, ${}^{n}X_{ede}$ reduces to X_{ede} showing no concern for deviation from ideal sex ratio. For $\theta > 0$, the penalty factor gets actuated. The axiom of Extinction gets satisfied for any $\theta > 0$. This signifies, once ${}^{n}X_{ede}$ is sensitive towards deviation from ideal sex ratio, howsoever small the sensitivity may be; it would reduce to zero if one of the genders goes extinct. This is rational, as any gender sensitive development indicator would penalize a society most severely where one of the genders could not survive in the first place, let alone develop.

For a moderate penalty on gender inequality in achievement i.e. ε =2, the axiom of Monotonicity is satisfied for $\theta \ge 1.14$ So, for $\varepsilon = 2$, 1 is the minimum value of θ for which Monotonicity with both of its corollaries are satisfied; hence 1 is chosen for θ . For ε =2 and θ =1, equation (3) reduces to

$${}^{n}X_{ede} = [p/p_{i}][(p_{f}(X_{f})^{(-1)} + p_{m}(X_{m})^{(-1)}]^{(-1)}$$
(4)

The propoerties of ${}^{n}X_{ede}$ are listed vis-à-vis X_{ede} in Appendix 1.

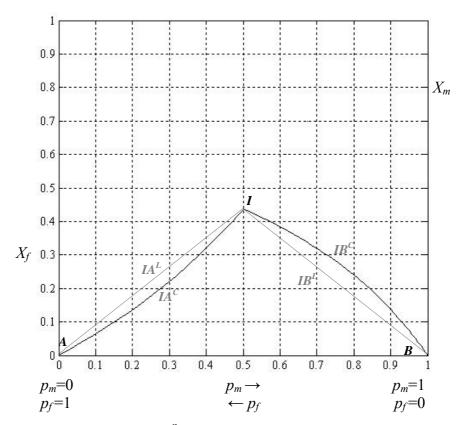


Fig. 2. Variation of ${}^{n}X_{ede}$ with population proportion (p_{m}, p_{f})

¹³ From Eq. (1) and Eq. (3) ${}^{n}X_{ede} = [p/p_{i}]^{\theta}(X_{ede}), (\partial ({}^{n}X_{ede})/\partial \theta) = (X_{ede})[p/p_{i}]^{\theta}\ln(p/p_{i}).$ Since $(p/p_{i}) \le 1, (\partial ({}^{n}X_{ede})/\partial \theta) \le 0$ Proof is in Appendix 2.

Fig. 2 plots ${}^{n}X_{ede}$ against p_{m} and p_{f} for same values of X_{f} and X_{m} as in Fig. 1 i.e. $X_f=0.3$, and $X_m=0.8$. ${}^{n}X_{ede}$ is 0 at exitnction conditions ($p_m=0$ or $p_m=1$) and maximizes at ideal sex ratio $(p_m/p_f = p_{mi}/p_f = 0.5/0.5)$. The maximum value, $(^nX_{ede})_{max}$ is the harmonic mean of $X_{p}=0.3$ and $X_{m}=0.8$, which coincides with the value of X_{ede} at ideal sex ratio as the penalty factor reduces to 1. For $p_m < p_{mi}$ the profile is represented by curve IA^C and for $p_m > p_{mi}$, curve IB^{C} The positive and negative slope of IA^{C} and IB^{C} respectively, validates the axiom of Monotonicity. The following propositions further characterize ${}^{n}X_{ede}$.

Proposition. The equally distributed equivalent achievement has a convex-decrease for fall in proportion of higher performing gender from ideal and a concave-decrease for lower performing gender. 15

In Fig. 2, since $X_m > X_f$, IA^C and IB^C have convex and convex profiles respectively. The straight lines IA^L , IB^L represent the profile of $^nX_{ede}$ for fall in p_m and p_{fi} respectively under the condition of gender indistinguishability, i.e. both the genders are at same level of achievement, hence are not distinguishable from the achievement point of view. Substituting, $X_f = X_m = X$ in Eq. (4) we get the linear relationship between ${}^nX_{ede}$ and population-proportion.

$$^{n}X_{ede} = [p/p_{i}]X \tag{5}$$

So, the common achievement X coincides with $({}^{n}X_{ede})_{max}$. Under this condition of gender indistinguishability, for $p_{mi}=p_{fi}$, the profiles of ${}^{n}X_{ede}$ at both sides of ideal are symmetric. IA^L , IB^L are a pair of such symmetric lines corresponding to X=(0.48/1.1) i.e. harmonic mean of $X_f=0.3$ and $X_m=0.8$.

 IA^C is below IA^L and IB^C is above IB^L . At a given population-proportion, a shift from IA^L to IA^C indicate a movement from gender indistinguishability, where all the population are at common achievement level, to a state where less than the ideal share population move to higher achievement level and rest move to a lower achievement level. Hence the overall achievement will fall. In case of movement from IB^L to IB^C more than the ideal share population move to higher achievement level leading to a improvement in overall achievement. This translates to the following lemma. 16

Lemma 1. For any given population-proportion between ideality and extinction, when higher performing gender has more (less) share than ideal share, the equally distributed equivalent achievement is higher (lower) than the condition of gender indistinguishability.

On the basis of the above lemma, for $p_{fi}=p_{mi}$, it is straight forward to show that for a given population-proportion the equally distributed equivalent achievement is higher when

¹⁵ Proof for ε=2, θ =1, is in Appendix 3 ¹⁶ Proof for ε=2, θ =1, is in Appendix 4

higher performing gender has more share than the case when the proportion is swapped between the two. Also, for $p_{fi}=p_{mi}$, magnitude wise the slope of IA^C is higher than that of IB^C at ideal. This is obvious from the fact that at equal population-proportion of two groups, fall of proportion of the higher quality group entails a greater loss to the society than the lower quality one. This leads to the following lemma.

Lemma 2. For equal population-proportion of genders at ideal the equally distributed equivalent achievement decreases at a faster rate at ideal when population proportion falls for the higher performing gender than for the lower one. For condition of gender indistinguishability, the rate of decrease lies in between.

The proof of the above is straight forward from the fact that IA^C and IB^C are convex and concave respectively lying below and above of IA^L and IB^L which are symmetric under unity ideal sex ratio.

6. Applying the new measure to equally distributed life expectancy index

Taking female and male life expectancy data for countries of the year 2005 from HDR 2007-2008 (UNDP 2007) and their population-proportion data from Population Division, Department of Economic and Social Affairs of United Nations (UN, 2008) ranks of the countries are obtained on the basis of X_{ede} and ${}^{n}X_{ede}$ (Appendix 5). A value of $p_{mi}=p_{fi}=0.5$ (i.e. sex ratio 1:1) is used for the purpose. The aversion parameters are taken as $\theta=1$ and $\varepsilon=2$. The difference in ranks indicates that a negative (positive) value implies a worse (better) performance of the country with the proposed measure when compared with the conventional one. The last column is population-proportion difference expressed as female share of population to male share, a negative value showing where male share is higher. The countries those have lost rank under new measure are referred to as losers. Similarly, those that moved up in the ranks are referred to as gainers. Following are some observations.

Table 1: Biggest Losers

| COUNTRY | Life Exp. | Life Exp. | Sex ratio | Conventi | Sex ratio | Rank | Gender |
|--------------|-----------|-----------|-----------|----------|-----------|-------|--------|
| | Index of | Index of | (males/ | onal | adjusted | Diff. | Prop. |
| | Female | Male | females) | Rank | Rank | | Diff. |
| United Arab | 0.892 | 0.905 | 2.137 | 19 | 129 | -110 | -0.363 |
| Emirates | | | | | | | |
| Qatar | 0.805 | 0.868 | 2.064 | 41 | 134 | -93 | -0.347 |
| Kuwait | 0.868 | 0.887 | 1.500 | 33 | 101 | -68 | -0.200 |
| Bahrain | 0.825 | 0.857 | 1.323 | 43 | 93 | -50 | -0.139 |
| Oman | 0.820 | 0.852 | 1.284 | 47 | 87 | -40 | -0.124 |
| Saudi Arabia | 0.785 | 0.797 | 1.172 | 66 | 90 | -24 | -0.079 |

The six gulf countries, UAE, Qatar, Kuwait, Bahrain, Oman and Saudi Arabia; stand out as biggest looser as per the proposed measure of equally distributed life expectancy index. These six countries have the dubious distinction of world's top rankers in terms of unbalanced sex ratio biased towards male. Table 1 illustrates their case. In all these countries, male life expectancy index is more than female. Since men outnumber women by large margins, these countries get the undue advantage under the conventional measure. In the new measure they lost rank because of the penalty for deviation from ideal sex ratio.

Table 2: Some selected cases for comparison

| COUNTRY | Life Exp. | Life Exp. | Sex ratio | Conventi | Sex ratio | Rank | Gender |
|-----------|-----------|-----------|-----------|----------|-----------|-------|--------|
| | Index of | Index of | (males/ | onal | adjusted | Diff. | Prop. |
| | Female | Male | females) | Rank | Rank | | Diff. |
| Cuba | 0.872 | 0.888 | 1.000 | 32 | 22 | 10 | -0.001 |
| Kuwait | 0.868 | 0.887 | 1.500 | 33 | 101 | -68 | -0.200 |
| Nicaragua | 0.792 | 0.775 | 1.000 | 74 | 58 | 16 | 0.001 |
| Latvia | 0.830 | 0.733 | 0.842 | 75 | 97 | -22 | 0.085 |
| Iceland | 0.927 | 0.957 | 1.000 | 3 | 1 | 2 | 0.000 |
| Japan | 0.970 | 0.937 | 0.957 | 1 | 2 | -1 | 0.023 |

Table 2 gives a comparison between some selected gainers and losers. Cuba has less inequality in life expectancy for female and male than Kuwait. But Kuwait has managed to fetch a similar rank as Cuba because of its male biased sex ratio; so a higher weight of male performance contributing to the higher final value. However, under the new measure Cuba performed relatively better for its balanced sex ratio. Kuwait, on the contrary, having three males per two females lost its earlier rank by 68 positions.

It is not always true that men fared better than women. Male have a greater tendency to engage in risk behaviors and violence, thus increasing their risk of premature mortality (Waldron, 1993). Lativia is an example where not only females have more life expectancy, but also they are higher in population-proportion. This is the precise reason for which Lativia occupied a rank next to Nicaragua, which is much more equal in terms life expectancy across gender but also has a balanced sex ratio. Under the new measure, Lativia regresses to a lower rank on account of a biased sex ratio towards female, whereas Nicaragua improved its positions.

Japan tops the list under conventional measure, but when penalty for deviation from ideal sex ratio is introduced, Japan looses its rank to Iceland. As seen from the table Japan's sex ratio is biased towards females (only 957 males for 1000 females) and females have higher life expectancy index. In fact, Japanese women live the longest in the world. However,

Japan got penalized under the new measure whereas Iceland, with equal proportion of males and females (1:1), does not get affected by the penalty.

7. Conclusion

The present gender equity-sensitive development indicators suffer from the limitation that countries with unbalanced sex ratio get rewarded where sex ratio is biased towards the higher performing gender. This paper questions the rationality of such indicators which take note of, for instance, inequality in life expectancy without consideration of the 'life' itself! An axiom of Monotonicity is posited so that equally distributed equivalent achievement increases as the population closes to ideal sex ratio. Two corollaries; axiom of Ideality and axiom of Extinction make the measure respectively to maximize at ideal sex ratio and to reduce to zero when one of the genders gets extinct. A new measure has been proposed which brings in a penalty factor to capture the deviation from ideal sex ratio. The new measure has a convex-decrease for fall in proportion of higher performing gender from ideal and a concavedecrease for lower performing one. Under this proposed measure, gulf countries get penalized for their unnaturally unbalanced sex ratio biased towards male. Countries with higher level of achievement, lower disparity between male and female and population-proportion closer to ideal sex ratio get rewarded. Unlike the conventional measure, the new measure gives appropriate signal to countries to correct for the 'Missing Women'. The proposed measure is more flexible with different handles of aversion to proportion-inequality and achievementinequality. Though a uniform ideal sex ratio of 1:1 is used for the present analysis, the formulation is generic enough to consider different ideal sex ratios for different age group, countries, regions, and races. Moreover, the new measure can be used to find equally distributed equivalent achievement between two groups other than gender where a desired proportion of the two groups are postulated. For instance, the equally distributed equivalent index for education calculated for BPL (below poverty line) and APL (above poverty line) groups (note the desired population-proportion of BPL to APL is 0:1) using the proposed measure not only takes note of the inequality in achievement in education between the two gender, but also rewards a society who have higher proportion of people as APL However, the proposed measure is applicable to population of two groups. As a future scope, similar measures for more than two groups can be conceptualized.

Appendix 1

| O OTT-PARTED OF OF PEOP OF OTTO OF OTTO OTTO | neasure (X_{ede}) and proposed measure $(^{n}X_{ede})$ |
|--|---|
| (i) $\min(X_f, X_m) \leq X_{ede} \leq \max(X_f, X_m)$ | $0 \leq^n X_{ede} \leq \max(^n X_{ede})$ |
| | where $\max(^{n}X_{ede}) = [(p_{fi}(X_{f})^{(-1)} + p_{mi}(X_{m})^{(-1)}]^{(-1)}]$ |
| | =harmonic mean of X_f and X_m at p_{mi} , p_{fi} . This |
| | property qualifies the axiom of Ideality and |
| | Extinction. |
| (ii) at $\varepsilon=0$, $X_{ede}=X^a$ i.e. arithmetic mean of | at $\varepsilon=0$, ${}^{n}X_{ede}=[p/p_{i}]^{\theta}X^{a}$. When $p=p_{i}$, ${}^{n}X_{ede}=X^{a}$ |
| achievement of population; for $\varepsilon > 0$, $X_{ede} < X^a$ | For $\varepsilon > 0$, ${}^{n}X_{ede} < [p/p_{i}]^{\theta}X^{a} \le X^{a}$ |
| (iii) larger the ε , smaller is X_{ede} | (iii) larger the ε , smaller is X_{ede} ; larger θ |
| | smaller is X_{ede} . |
| (iv) $X_{ede} \rightarrow \min(X_f, X_m)$ as $\varepsilon \rightarrow \infty$. 17 | (iv) ${}^{n}X_{ede} \rightarrow [p/p_{i}]^{\theta}[\min(X_{f}, X_{m})]$ as $\varepsilon \rightarrow \infty$. |
| | When $\varepsilon \to \infty$ and $p \to p_i$; ${}^n X_{ede} \to \min(X_f, X_m)$ |
| (v) X_{ede} is monotonic increasing in both X_f | Property remains same for ${}^{n}X_{ede}$. |
| and X_m , the increase is at diminishing rate. ¹⁸ | |
| (vi) a unit increase in performance for the | Property remains same for ${}^{n}X_{ede}$. |
| gender with higher population but lower | |
| level of performance is more valuable | |
| socially (higher X_{ede}) than the unit increase in | |
| performance for the other gender. | |
| (vii) a rise in the population proportion of a | closer the proportion population to the ideal |
| sub group with higher level of achievement | higher is ${}^{n}X_{ede}$. This property validates axiom |
| will result higher X_{ede} . | of Monotonicity. |
| (viii) more concave the underlining form of | Property remains same for ${}^{n}X_{ede}$ |
| X_{ede} , smaller is X_{ede} . The present underlining | |
| form of X_{ede} is $(1/(1-\varepsilon))X^{(1-\varepsilon)}$. | |
| (ix) the relative gender equality index, E is | the relative gender equality index, E is |
| maximum for $X_f = X_m$ and $\max(E) = 1$. | maximum for $X_f = X_m$ and $\max(E) = [p/p_i]^{\theta}$. |
| | When $p \rightarrow p_i$; max $(E) \rightarrow 1$. |
| (x) for equality of proportion, $(p_f=p_m)$ E is | Property remains same for ${}^{n}X_{ede}$ |
| | |
| symmetric in X_f and X_m . $E \rightarrow 0$, if $(X_f/X_m)\rightarrow 0$ | |

¹⁷ This resembles to Rawlsian maximin situation where achievement is judged purely by the achievement of the

worst off group.

18 The diminishing rate of increase is not valid for all concave functions; but for standard cases like constant relative inequality aversion $(X_{ede} = (1/(1-\varepsilon))X^{(1-\varepsilon)})$ and constant absolute inequality aversion $(X_{ede} = -e^{yx})$ (Anand

and Sen, 2003)

19 $E = (X_{ede} / X^a)$ is the ratio of the $(1-\varepsilon)$ average to the arithmetic mean (AM). The result is intuitive as $(1-\varepsilon)$ average of two numbers is same as AM only when the numbers are equal; in all other cases $(1-\varepsilon)$ average < AM.

Appendix 2

Without loss of generality (wlog), Eq. (3) can be expressed in p_m , (p_f is substituted by $(1-p_m)$)

$${}^{n}X_{ede} = \left[p_{m}/p_{mi}\right]^{\theta} \left[(1-p_{m})(X_{f})^{(1-\varepsilon)} + p_{m}(X_{m})^{(1-\varepsilon)}\right]^{1/(1-\varepsilon)} \qquad \text{for } \varepsilon \geq 0, \theta \geq 0 \& \varepsilon \neq 1$$
 (6)

Note the above equation is valid for $p_m \le p_{mi}$. For $p_m > p_{mi}$ the penalty term changes to $[p_f/p_f]^\theta = [(1-p_m)/(1-p_{mi})]^\theta$. To satisfy the axiom of Monotonicity we need to prove $(\partial (^n X_{ede})/\partial p_m) > 0$ for $p_m \le p_{mi}$ and $(\partial (^n X_{ede})/\partial p_m) < 0$ for $p_m > p_{mi}$. Differentiating Eq. (6),

for $\varepsilon < 1$, $C_m > 0$. So, for $(\partial (^n X_{ede})/\partial p_m) > 0$ for all values of $X_f, X_m, C_f \ge 0$, implies

$$\theta(1-p_m) \ge \frac{p_m}{(1-\varepsilon)} \Rightarrow \theta \ge \frac{p_m}{(1-p_m)} \frac{1}{(1-\varepsilon)} \Rightarrow \theta \ge \frac{p_m}{p_f} \frac{1}{(1-\varepsilon)}$$

for ε =0.5, p_m =0.5, θ ≥2; so θ should be at least 2 to satisfy the axiom of Monotonicity. for ε >1, C_f >0. So, for $(\partial (^nX_{ede})/\partial p_m)$ >0, for all values of X_f , X_m , C_m ≥0, implies

1,
$$C_f > 0$$
. So, for $(O(|A_{ede}|/Cp_m) > 0$, for all values of $A_f, A_m, C_m \ge 0$, hip

$$\theta p_m \ge \frac{p_m}{(\varepsilon - 1)} \Rightarrow \theta \ge \frac{1}{(\varepsilon - 1)}$$

for ε =2, θ ≥1; so θ to be at least 1 to satisfy the axiom of Monotonicity for $p_m \le p_{mi}$. Similarly, for $p_m > p_{mi}$, for ε =2 it can be shown θ to be at least 1 to satisfy $(\partial (^n X_{ede})/\partial p_m) < 0$.

Appendix 3

Wlog, for $p_m \le p_{mi}$ Eq. (3) can be expressed in p_m (p_f is substituted by (1- p_m)). For ε =2

$${}^{n}X_{ede} = [p_{m}/p_{mi}]^{\theta} [(1-p_{m})(X_{f})^{(-1)} + p_{m}(X_{m})^{(-1)}]^{(-1)}$$

Differentiating with respect to p_m

$$\begin{split} \frac{\partial \binom{n}{X_{ede}}}{\partial p_{m}} &= \theta \frac{p_{m}^{\theta-1}}{p_{mi}^{\theta}} \Big((1 - p_{m}) X_{f}^{-1} + p_{m} X_{m}^{-1} \Big)^{-1} + \left(\frac{p_{m}}{p_{mi}} \right)^{\theta} (-1) \Big((1 - p_{m}) X_{f}^{-1} + p_{m} X_{m}^{-1} \Big)^{-2} (X_{m}^{-1} - X_{f}^{-1}) \\ &= \frac{p_{m}^{\theta-1}}{p_{mi}^{\theta}} \Big((1 - p_{m}) X_{f}^{-1} + p_{m} X_{m}^{-1} \Big)^{-1} \Big(\theta - \frac{p_{m} (X_{f} - X_{m})}{p_{m} (X_{f} - X_{m}) + X_{m}} \Big) \end{split}$$

Differentiating again and simplifying,

$$\begin{split} \frac{\partial^{2} \binom{n}{X_{ede}}}{\partial p_{m}^{2}} &= \frac{p_{m}^{\theta-2}}{p_{mi}^{\theta}} \left((1 - p_{m}) X_{f}^{-1} + p_{m} X_{m}^{-1} \right)^{-1} \\ & \left(\left(\theta - 1 - \frac{p_{m} (X_{f} - X_{m})}{p_{m} (X_{f} - X_{m}) + X_{m}} \right) \left(\theta - \frac{p_{m} (X_{f} - X_{m})}{p_{m} (X_{f} - X_{m}) + X_{m}} \right) - \frac{p_{m} x_{m} (X_{f} - X_{m})}{\left(p_{m} (X_{f} - X_{m}) + X_{m} \right)^{2}} \right) \end{split}$$

For
$$\theta=1$$
, $\frac{\partial^2 (^n X_{ede})}{\partial p_m^2} = \frac{p_m^{\theta-2}}{p_{mi}^{\theta}} \left((1-p_m) X_f^{-1} + p_m X_m^{-1} \right)^{-1} (-2) \frac{p_m X_m (X_f - X_m)}{\left(p_m (X_f - X_m) + X_m \right)^2}$

Hence, for $X_f > X_m$, $\frac{\partial^2 ({}^n X_{ede})}{\partial p_m^2} < 0$, the increase slope is diminishing i.e. the profile is concave.

For $X_j < X_m$, $\frac{\partial^2 ({}^n X_{ede})}{\partial p_m^2} > 0$, the slope is convex. Similar proofs can be obtained for $p_m > p_{mi}$.

Appendix 4

Wlog, lets consider $X_m > X_f$. For $p_m < p_{mi}$ we need to prove

$$[(p_m/p_{mi})\{(1-p_m)(X_f)^{(-1)}+p_m(X_m)^{(-1)}\}^{(-1)}\} \leq [(p_m/p_{mi})X]$$

where X=Harmonic Mean of X_f and X_m at condition of Ideality $p_m = p_{mi}$, $p_f = p_{fi}$. Replacing the value of X in the above equation, the proof requires,

$$[(p_m/p_{mi})\{(1-p_m)(X_f)^{(-1)}+p_m(X_m)^{(-1)}\}^{(-1)}] < [(p_m/p_{mi})\{(1-p_{mi})(X_f)^{(-1)}+p_{mi}(X_m)^{(-1)}\}^{(-1)}]$$

Cancelling the common factor (p_m/p_{mi}) , the proof requires,

$$[\{(1-p_m)(X_f)^{(-1)}+p_m(X_m)^{(-1)}\}^{(-1)}] < [\{(1-p_m)(X_f)^{(-1)}+p_{mi}(X_m)^{(-1)}\}^{(-1)}]$$

The above inequality is true from property (vii) of X_{ede} as mentioned in Appendix 1. Also this can be seen from Fig. 1 (in the text) where for $p_m < p_{mi}$, X_{ede} increases with increase of p_m . Similarly, for $p_m > p_{mi}$, the inequality $[(p_f/p_{fi})\{(1-p_m)(X_f)^{(-1)}+p_m(X_m)^{(-1)}\}^{(-1)}] > [(p_f/p_{fi})X]$ can be proved.

Appendix 5

| COUNTRY | Life | Life | Sex ratio | Conve | Sex ratio | Rank | Gender |
|--------------------------|--------------|--------------|----------------|----------|-----------|-----------|-----------------|
| COCIVIRI | Exp. | Exp. | (males/ | ntional | adjusted | Diff. | Prop. |
| | _ | _ | females) | Rank | Rank | DIII. | - |
| | Female | Male | iciliaics) | IXIIIIX | Kunk | | Diff. |
| | (in yrs) | (in yrs) | | | | | |
| Iceland | 83.1 | 79.9 78.7 | 1.000 0.955 | 3 | 1 | 2 | 0.000 |
| Japan Australia | 85.7 83.3 | 78.5 | 0.933 | 5 | 3 | -1 2 | 0.023 |
| Sweden | 82.7 | 78.3 | 0.985 | 7 | 4 | 3 | 0.008 |
| Canada | 82.6 | 77.9 | 0.983 | 8 | 5 | 3 | 0.009 |
| Israel | 82.3 | 78.1 | 0.979 | 10 | 6 | 4 | 0.011 |
| Spain | 83.8 | 77.2 | 0.965 | 6 | 7 | -1 | 0.018 |
| Norway Switzerland | 82.2 83.7 | 77.3 78.5 | 0.987 0.939 | 12 4 | 8 | -5 | 0.007 0.031 |
| Singapore | 81.4 | 77.5 | 1.014 | 14 | 10 | 4 | -0.007 |
| New Zealand | 81.8 | 77.7 | 0.966 | 13 | 11 | 2 | 0.017 |
| Netherlands | 81.4 | 76.9 | 0.986 | 16 | 12 | 4 | 0.007 |
| France | 83.7 | 76.6 | 0.949 | 11 | 13 | -2 | 0.026 |
| Hong Kong, China | 84.9 | 70.1 | 0.889 | 2 | 1.4 | 12 | 0.050 |
| (SAR) Italy | 83.2 | 79.1 77.2 | 0.889 | 9 | 14 15 | -12 -6 | 0.059 |
| Malta | 81.1 | 76.8 | 0.985 | 17 | 16 | 1 | 0.007 |
| Ireland | 80.9 | 76.0 | 0.989 | 26 | 17 | 9 | 0.005 |
| Greece | 80.9 | 76.7 | 0.977 | 24 | 18 | 6 | 0.012 |
| Austria | 82.2 | 76.5 | 0.956 | 15 | 19 | -4 | 0.022 |
| Belgium | 81.8 | 75.8 | 0.963 | 23 | 20 | 3 | 0.019 |
| Germany Cuba | 81.8 79.8 | 76.2 75.8 | 0.955 1.002 | 20 32 | 21 22 | -1 10 | -0.001 |
| Chile | 81.3 | 75.3 | 0.979 | 28 | 23 | 5 | 0.011 |
| Korea (Republic of) | 81.5 | 74.3 | 1.005 | 29 | 24 | 5 | -0.003 |
| United Kingdom | 81.2 | 76.7 | 0.955 | 21 | 25 | -4 | 0.023 |
| Finland | 82.0 | 75.6 | 0.959 | 22 | 26 | -4 | 0.021 |
| Costa Rica Luxembourg | 80.9 81.4 | 76.2 75.4 | 1.034 0.970 | 25 27 | 27 28 | -2 -1 | -0.017 0.015 |
| Cyprus | 81.5 | 76.6 | 0.946 | 18 | 29 | -11 | 0.013 |
| Denmark | 80.1 | 75.5 | 0.980 | 31 | 30 | 1 | 0.010 |
| United States | 80.4 | 75.2 | 0.968 | 30 | 31 | -1 | 0.016 |
| Slovenia | 81.1 | 73.6 | 0.953 | 35 | 32 | 3 | 0.024 |
| Portugal Albania | 80.9 79.5 | 74.5 73.1 | 0.935 0.984 | 34 38 | 33 34 | 1 4 | 0.033 |
| Belize | 79.3 | 73.1 | 1.015 | 39 | 35 | 4 | -0.008 |
| Brunei Darussalam | 79.3 | 74.6 | 1.078 | 36 | 36 | 0 | -0.037 |
| Panama | 77.8 | 72.7 | 1.018 | 46 | 37 | 9 | -0.009 |
| Barbados | 79.3 | 73.6 | 0.935 | 37 | 38 | -1 | 0.033 |
| Ecuador | 77.7 | 71.8 | 1.006 | 50 | 39 | 11 | -0.003 |
| Czech Republic Mexico | 79.1 78.0 | 72.7 73.1 | 0.949 0.956 | 40 44 | 40 41 | 3 | 0.026 0.023 |
| Uruguay | 79.4 | 72.2 | 0.942 | 42 | 42 | 0 | 0.030 |
| Macedonia (TFYR) | 76.3 | 71.4 | 0.996 | 53 | 43 | 10 | 0.002 |
| Argentina | 78.6 | 71.1 | 0.957 | 49 | 44 | 5 | 0.022 |
| Viet Nam | 75.7 | 71.9 | 0.998 | 54 | 45 | 9 | 0.001 |
| Poland Croatia | 79.4 78.8 | 71.0 71.8 | 0.942 0.928 | 48 45 | 46 47 | -2 | 0.030 0.037 |
| Syrian Arab Republic | 75.5 | 71.8 | 1.013 | 57 | 48 | 9 | -0.007 |
| Tunisia | 75.6 | 71.5 | 1.015 | 58 | 49 | 9 | -0.008 |
| Venezuela (Bolivarian | | | | | | | |
| Republic of) | 76.3 | 70.4 | 1.010 | 59 | 50 | 9 | -0.005 |
| Bosnia and Herzegovina | 77.1 | 71.8 | 0.945 | 51 | 51 | 0 | 0.028 |
| Malaysia Slovakia | 76.1 78.2 | 71.4 70.3 | 1.031 0.942 | 55 52 | 52 53 | -1 | -0.015 0.030 |
| Saint Lucia | 75.0 | 71.3 | 0.963 | 60 | 54 | 6 | 0.019 |
| Libyan Arab Jamahiriya | 76.3 | 71.1 | 1.066 | 56 | 55 | 1 | -0.032 |
| Mauritius | 75.8 | 69.1 | 0.986 | 68 | 56 | 12 | 0.007 |
| Occupied Palestinian | | | | | | _ | ^ ^·- |
| Territories | 74.4 75.0 | 71.3 69.0 | 1.035 0.999 | 62 74 | 57 58 | 16 | -0.017 0.001 |
| Nicaragua Tonga | 73.8 | 71.8 | 1.040 | 64 | 58 59 | 16 5 | -0.020 |
| Colombia | 76.0 | 68.7 | 0.977 | 69 | 60 | 9 | 0.012 |
| Jamaica | 74.9 | 69.6 | 0.977 | 71 | 61 | 10 | 0.012 |

| Exp. Female Female Female Females Fe | COUNTRY | Life | Life | Sex ratio | Conve | Sex ratio | Rank | Gender |
|--|----------|---|------|-------------|---------|-----------|-------|--------|
| China | | Exp. | Exp. | (males/ | ntional | adjusted | Diff. | Prop. |
| China | | | _ | | Rank | • | 2111 | _ |
| China | | | | 1011111105) | | | | Dill. |
| Bulgaria | China | \ | | 1.056 | 65 | 62 | 2 | 0.027 |
| Algeria | | | | | | | | |
| Brazell | | 73.0 | 70.4 | 1.018 | 79 | 64 | 15 | -0.009 |
| Turkey | | | | | | | | |
| Bahamas | | | | | | | | |
| Paraguay | | | | | | | | |
| Sri Lanka | | | | | | | | |
| Philippines | <u> </u> | | | | | | | |
| Saint Vincent and the Creenadines | | | | | | | | |
| Greendines 73.2 69.0 0.983 87 73 1.4 0.008 Egypt 77.0 68.8 1.006 90 75 15 -0.003 Lebanon 73.7 69.4 0.961 81 76 5 0.020 Pern 73.3 68.2 1.011 89 77 12 -0.005 El Salvador 74.3 68.2 0.967 84 78 6 0.017 Morcoco 72.7 68.3 0.988 93 79 1.4 0.006 Jordan 73.8 76.8 0.997 96 81 15 0.001 Indomesia 71.6 67.8 0.997 96 81 15 0.001 Iran (Islamic Republic 71.6 66.8 0.997 96 81 15 0.001 Iran (Islamic Republic 71.8 66.7 1.029 94 82 12 0.014 Lithuaria 78.0 <td< td=""><td></td><td>73.3</td><td>68.9</td><td>1.014</td><td>86</td><td>72</td><td>14</td><td>-0.007</td></td<> | | 73.3 | 68.9 | 1.014 | 86 | 72 | 14 | -0.007 |
| Hungary 77.0 68.8 0.909 61 74 -13 0.048 Egypt 73.0 68.5 1.006 90 75 15 -0.003 Lebanon 73.7 69.4 0.961 81 76 5 0.020 Peru 73.3 68.2 1.011 89 77 12 -0.005 Morocco 72.7 68.3 0.988 93 79 14 0.006 Jordan 73.8 70.3 1.082 72 80 -8 -0.035 Indonesia 71.6 67.8 0.997 96 81 15 0.001 Iran (Islamic Republic of) 71.8 68.7 1.029 94 82 12 -0.014 Uriname 73.0 66.4 0.996 97 83 14 0.002 Lithuania 78.0 66.9 0.874 67 84 -17 0.067 Samoa 74.2 67.8 1.079 88 85 3 -0.038 Honduras 73.1 65.8 1.016 99 86 13 -0.008 Honduras 73.1 65.8 1.016 99 86 13 -0.008 Honduras 73.1 65.8 1.016 99 86 13 -0.008 Thailand 74.5 65.0 0.965 98 88 10 0.018 Cape Verde 73.8 66.7 5.920 91 89 2 0.041 Saudi Arabia 74.6 70.3 1.172 66 90 -24 -0.079 Trinidad and Tobago 71.2 67.2 0.973 101 91 10 0.018 Salariam 77.0 73.9 1.323 43 93 50 0.018 Salariam 77.0 73.9 1.323 43 93 50 0.018 Salariam 77.0 73.6 6.87 0.986 91 89 2 0.041 Saudi Arabia 74.6 70.3 1.172 66 90 -24 -0.079 Trinidad and Tobago 71.2 67.2 0.973 101 91 10 0.014 Gouglemala 74.5 66.7 0.980 95 92 3 0.025 Baltrain 77.0 73.9 1.323 43 93 -50 -0.018 Saudi Arabia 74.6 67.5 0.986 92 96 4 -0.058 Salariam 77.0 66.5 0.843 75 97 -22 0.085 Servical 74.5 66.5 0.843 75 97 -22 0.095 Salariam 77.0 73.9 1.323 43 93 50 -1.13 Salariam 77.0 78.5 0.906 111 110 110 10 10 1 | | 73.2 | 69.0 | 0.083 | 87 | 73 | 14 | 0.008 |
| Egypt | | | | | | | | |
| Peru | | | | | | | | |
| El Salvador | Lebanon | | | 0.961 | | | | 0.020 |
| Morocco | | | | | | | | |
| Jordan | | | | | | | | |
| Indonesia 71.6 67.8 0.997 96 81 15 0.001 Iran (Islamic Republic of) | | | | | | | | |
| Iran (Islamic Republic of) | | | | | | | | |
| uriname 73.0 66.4 0.996 97 83 14 0.002 Lithuania 78.0 66.9 0.874 67 84 -17 0.067 Samoa 74.2 67.8 1.079 88 85 3 -0.038 Honduras 73.1 65.8 1.016 99 86 13 -0.038 Moman 76.7 73.6 1.284 47 87 -40 -0.124 Thailand 74.5 65.0 0.965 98 88 10 0.018 Cape Verde 73.8 67.5 0.920 91 89 2 0.041 Saudi Arabia 74.6 70.3 1.172 66 90 -24 -0.079 Trinidad and Tobago 71.2 67.2 0.973 101 91 10 0.041 Guatemala 73.2 66.2 0.950 95 92 3 0.025 Bahrain 77.0 73.9 <td></td> <td></td> <td></td> <td></td> <td></td> <td></td> <td>-</td> <td></td> | | | | | | | - | |
| Lithuania | | | | | | | | |
| Samoa | | | | | | | | |
| Honduras | | | | | | | | |
| Oman 76.7 73.6 1.284 47 87 -40 -0.124 Thailand 74.5 65.0 0.965 98 88 10 0.018 Cape Verde 73.8 67.5 0.920 91 89 2 0.041 Saudi Arabia 74.6 70.3 1.172 66 90 -24 -0.079 Trinidad and Tobago 71.2 67.2 0.973 101 91 10 0.014 Guatemala 73.2 66.2 0.990 95 92 3 0.025 Bahrain 77.0 73.9 1.323 43 93 -50 -0.139 Armenia 74.9 68.2 0.873 80 94 -14 0.068 Vanuatu 71.3 67.5 1.038 100 95 5 -0.019 Georgia 74.5 66.7 0.896 92 96 -4 0.055 Latvia 77.3 66.5 | | | | | | | | |
| Cape Verde 73.8 67.5 0.920 91 89 2 0.041 Saudi Arabia 74.6 70.3 1.172 66 90 -24 -0.079 Trinidad and Tobago 71.2 67.2 0.973 101 91 10 0.014 Guatemala 73.2 66.2 0.950 95 92 3 0.025 Bahrain 77.0 73.9 1.323 43 93 -50 -0.139 Armenia 74.9 68.2 0.873 80 94 -14 0.068 Vanuatu 71.3 67.5 1.038 100 95 5 -0.019 Georgia 74.5 66.7 0.886 92 96 -4 0.055 Latvia 77.3 66.5 0.843 75 97 -22 0.085 Grenada 69.8 66.5 0.981 105 98 7 0.010 Fiji 70.6 66.1 | | | | | | | | |
| Saudi Arabia 74.6 70.3 1.172 66 90 2-24 -0.079 Trinidad and Tobago 71.2 67.2 0.973 101 91 10 0.014 Guatemala 73.2 66.2 0.950 95 92 3 0.025 Bahrain 77.0 73.9 1.323 43 93 50 -0.139 Armenia 74.9 68.2 0.873 80 94 -14 0.068 Armenia 74.9 68.2 0.873 80 94 -14 0.068 Armenia 74.9 68.2 0.873 80 94 -14 0.068 Armenia 74.5 66.7 0.896 92 96 -4 0.055 Latvia 77.3 66.5 0.843 75 97 -22 0.085 Grenada 66.8 66.5 0.981 105 98 7 0.010 Fiji 70.6 66.1 1.034 104 99 5 -0.017 Fiji 70.6 66.1 1.034 104 99 5 -0.017 Estonia 76.8 65.5 0.851 85 100 -15 0.080 Kuwait 79.6 75.7 1.500 33 101 -68 -0.200 Uzbekistan 70.0 63.6 0.989 109 102 7 0.005 Moldova 72.0 64.7 0.916 103 103 0 0.044 Tajikistan 69.0 63.8 0.986 110 104 6 0.007 Azerbaijan 70.8 63.5 0.943 107 105 2 0.029 Belarus 74.9 62.7 0.877 102 107 -5 0.065 Mongolia 66.2 62.8 1.004 111 108 3 0.002 Bolivia 66.9 62.6 0.993 118 110 8 0.003 Bolivia 66.9 62.6 0.993 118 110 8 0.003 Bolivia 66.5 63.1 1.027 117 113 4 -0.013 Bolivia 66.5 63.1 1.027 117 113 4 -0.013 Barran 66.5 66.5 66.5 67.9 67.9 122 119 3 0.011 Barran 66.5 66.5 67.9 67.9 122 119 3 0.011 Barran 66.5 66.5 67.9 67.9 122 119 3 0.011 Barran 66.5 66.5 67.9 67.9 122 119 3 0.011 Barran 66.0 66.0 | | | | | | | | 0.018 |
| Trinidad and Tobago 71.2 67.2 0.973 101 91 10 0.014 Guatemala 73.2 66.2 0.950 95 92 3 0.025 Bahrain 77.0 73.9 1.323 43 93 -50 -0.139 Armenia 74.9 68.2 0.873 80 94 -14 0.068 Vanuatu 71.3 66.5 1.038 100 95 5 -0.019 Georgia 74.5 66.7 0.896 92 96 4 0.055 Latvia 77.3 66.5 0.843 75 97 -22 0.085 Grenada 69.8 66.5 0.981 105 98 7 0.010 Fiji 70.6 66.1 1.034 104 99 5 -0.017 Estonia 76.8 65.5 0.851 85 100 -15 0.080 Kuwait 79.6 75.7 <t< td=""><td></td><td></td><td></td><td></td><td>_</td><td></td><td></td><td></td></t<> | | | | | _ | | | |
| Guatemala 73.2 66.2 0.950 95 92 3 0.025 Bahrain 77.0 73.9 1.323 43 93 -50 -0.139 Armenia 74.9 68.2 0.873 80 94 -14 0.068 Vanuatu 71.3 67.5 1.038 100 95 5 -0.019 Georgia 74.5 66.7 0.896 92 96 -4 0.055 Latvia 77.3 66.5 0.843 75 97 -22 0.085 Grenada 69.8 66.5 0.981 105 98 7 0.010 Fiji 70.6 66.1 1.034 104 99 5 -0.017 Estonia 76.8 65.5 0.851 85 100 -15 0.080 Kuwait 79.6 75.7 1.500 33 101 -68 0.200 Uzbekistan 70.0 63.6 0.989 | | | | | | | | |
| Bahrain 77.0 73.9 1.323 43 93 -50 -0.139 Armenia 74.9 68.2 0.873 80 94 -14 0.068 Vanuatu 71.3 67.5 1.038 100 95 5 -0.019 Georgia 74.5 66.7 0.896 92 96 -4 0.055 Latvia 77.3 66.5 0.843 75 97 -22 0.085 Grenada 69.8 66.5 0.981 105 98 7 0.017 Estonia 76.8 66.5 0.851 85 100 -15 0.080 Kuwait 79.6 75.7 1.500 33 101 -68 -2.001 Uzbekistan 70.0 63.6 0.989 109 102 7 0.005 Moldova 72.0 64.7 0.916 103 103 0 0.044 Tajikistan 69.0 63.8 <t< td=""><td>)</td><td></td><td></td><td></td><td></td><td></td><td></td><td></td></t<> |) | | | | | | | |
| Vanuatu 71.3 67.5 1.038 100 95 5 -0.019 Georgia 74.5 66.7 0.896 92 96 -4 0.055 Latvia 77.3 66.5 0.843 75 97 -22 0.085 Grenada 69.8 66.5 0.981 105 98 7 0.010 Fiji 70.6 66.1 1.034 104 99 5 -0.017 Estonia 76.8 65.5 0.851 85 100 -15 0.080 Kuwait 79.6 75.7 1.500 33 101 -68 -0.200 Uzbekistan 70.0 63.6 0.989 109 102 7 0.005 Moldova 72.0 64.7 0.916 103 103 0 0.044 Tajikistan 69.0 63.8 0.986 110 104 6 0.007 Azerbaijan 70.8 63.5 <td< td=""><td></td><td></td><td></td><td></td><td></td><td></td><td></td><td></td></td<> | | | | | | | | |
| Georgia 74.5 66.7 0.896 92 96 -4 0.055 Latvia 77.3 66.5 0.843 75 97 -22 0.085 Grenada 69.8 66.5 0.981 105 98 7 0.010 Fiji 70.6 66.1 1.034 104 99 5 -0.017 Estonia 76.8 65.5 0.851 85 100 -15 0.080 Kuwait 79.6 75.7 1.500 33 101 -68 -0.200 Uzbekistan 70.0 63.6 0.989 109 102 7 0.005 Moldova 72.0 64.7 0.916 103 103 0 0.044 Tajikistan 69.0 63.8 0.986 110 104 6 0.007 Azerbaijan 70.8 63.5 0.943 107 105 2 0.029 Maldives 67.6 66.6 <t< td=""><td>Armenia</td><td></td><td></td><td></td><td>80</td><td></td><td>-14</td><td></td></t<> | Armenia | | | | 80 | | -14 | |
| Latvia 77.3 66.5 0.843 75 97 -22 0.085 Grenada 69.8 66.5 0.981 105 98 7 0.010 Fiji 70.6 66.1 1.034 104 99 5 -0.017 Estonia 76.8 65.5 0.851 85 100 -15 0.080 Kuwait 79.6 75.7 1.500 33 101 -68 -0.200 Uzbekistan 70.0 63.6 0.989 109 102 7 0.005 Moldova 72.0 64.7 0.916 103 103 0 0.044 Tajikistan 69.0 63.8 0.986 110 104 6 0.007 Azerbaijan 70.8 63.5 0.943 107 105 2 0.029 Maldives 67.6 66.6 1.056 108 106 2 -0.027 Belarus 74.9 62.7 | | | | | | | | |
| Grenada 69.8 66.5 0.981 105 98 7 0.010 Fiji 70.6 66.1 1.034 104 99 5 -0.017 Estonia 76.8 65.5 0.851 85 100 -15 0.080 Kuwait 79.6 75.7 1.500 33 101 -68 -0.200 Uzbekistan 70.0 63.6 0.989 109 102 7 0.005 Moldova 72.0 64.7 0.916 103 103 0 0.044 Tajikistan 69.0 63.8 0.986 110 104 6 0.007 Azerbaijan 70.8 63.5 0.943 107 105 2 0.029 Maldives 67.6 66.6 1.056 108 106 2 -0.027 Belarus 74.9 62.7 0.877 102 107 -5 0.065 Mongolia 69.2 62.8 | | | | | | | | |
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| Turkmenistan 67.0 58.5 0.970 126 123 3 0.015 | | | | | | | | |
| | <u> </u> | | | | | | | |
| | Nepal | 62.9 | 62.1 | 0.982 | 128 | 124 | 4 | 0.009 |

| COUNTRY | Life | Life | Sex ratio | Conve | Sex ratio | Rank | Gender |
|---------------------------------------|--------------|--------------|----------------|------------|------------|---------|-----------------|
| | | | (males/ | ntional | adjusted | Diff. | |
| | Exp. | Exp. | ` | Rank | Rank | Dill. | Prop. |
| | Female | Male | females) | Kalik | Kalik | | Diff. |
| | (in yrs) | (in yrs) | | | | | |
| Senegal | 64.4 | 60.4 | 0.968 | 127 | 125 | 2 | 0.016 |
| Solomon Islands | 63.8 | 62.2 | 1.069 | 125 | 126 | -1 | -0.033 |
| Yemen | 63.1 | 60.0 | 1.029 | 129 | 127 | 2 | -0.014 |
| Myanmar | 64.2 | 57.6 | 0.986 | 130 | 128 | 2 | 0.007 |
| United Arab Emirates | 81.0 | 76.8 | 2.137 | 19 | 129 | -110 | -0.363 |
| Haiti | 61.3 | 57.7 | 0.971 | 132 | 130 | 2 | 0.015 |
| Ghana | 59.5 | 58.7 | 1.025 | 133 | 131 | 2 | -0.012 |
| Gambia | 59.9 | 57.7 | 0.983 | 134 | 132 | 2 | 0.009 |
| Timor-Leste | 60.5 | 58.9 | 1.081 | 131 | 133 | -2 | -0.039 |
| Qatar | 75.8 | 74.6 | 2.064 | 41 | 134 | -93 | -0.347 |
| Madagascar | 60.1 | 56.7 | 0.990 | 135 | 135 | 0 | 0.005 |
| Togo | 59.6 | 56.0 | 0.976 | 137 | 136 | 1 | 0.012 |
| Sudan | 58.9 | 56.0 | 1.013 | 138 | 137 | 1 | -0.007 |
| Cambodia | 60.6 | 55.2 | 0.935 | 136 | 138 | -2 | 0.033 |
| Papua New Guinea | 60.1 | 54.3 | 1.064 | 139 | 139 | 0 | -0.031 |
| Gabon | 56.9 | 55.6 | 0.991 | 141 | 140 | 1 | 0.004 |
| Eritrea | 59.0 | 54.0 | 0.964 | 140 | 141 | -1 | 0.018 |
| Benin | 56.5 | 54.1 | 1.016 | 143 | 142 | 1 | -0.008 |
| Niger | 54.9 | 56.7 | 1.046 | 142 | 143 | -1 | -0.023 |
| Guinea | 56.4 55.2 | 53.2 52.6 | 1.051 0.997 | 144 | 144 145 | 0 | -0.025 0.001 |
| Djibouti | | 52.8 | | 146 | | 1 | |
| Congo Mali | 55.2 55.3 | 50.8 | 0.984 0.993 | 145 147 | 146 147 | -1 0 | 0.008 0.003 |
| Kenya | 53.1 | 51.1 | 1.003 | 147 | 147 | 0 | -0.001 |
| Ethiopia | 53.1 | 50.5 | 0.990 | 149 | 149 | 0 | 0.005 |
| Namibia | 52.2 | 50.9 | 0.983 | 150 | 150 | 0 | 0.008 |
| Burkina Faso | 52.9 | 49.8 | 1.011 | 151 | 151 | 0 | -0.005 |
| Tanzania (United | 32.7 | 47.0 | 1.011 | 131 | 131 | 0 | -0.003 |
| Republic of) | 52.0 | 50.0 | 0.990 | 152 | 152 | 0 | 0.005 |
| South Africa | 52.0 | 49.5 | 0.965 | 153 | 153 | 0 | 0.018 |
| Chad | 51.8 | 49.0 | 0.979 | 154 | 154 | 0 | 0.010 |
| Equatorial Guinea | 51.6 | 49.1 | 0.980 | 155 | 155 | 0 | 0.010 |
| Cameroon | 50.2 | 49.4 | 0.990 | 156 | 156 | 0 | 0.005 |
| Uganda | 50.2 | 49.1 | 1.001 | 157 | 157 | 0 | -0.001 |
| Burundi | 49.8 | 47.1 | 0.954 | 158 | 158 | 0 | 0.024 |
| Botswana | 48.4 | 47.6 | 0.965 | 159 | 159 | 0 | 0.018 |
| Côte d'Ivoire | 48.3 | 46.5 | 1.034 | 160 | 160 | 0 | -0.017 |
| Nigeria | 47.1 | 46.0 | 1.024 | 161 | 161 | 0 | -0.012 |
| Malawi | 46.7 | 46.0 | 0.986 | 162 | 162 | 0 | 0.007 |
| Guinea-Bissau | 47.5 | 44.2 | 0.976 | 163 | 163 | 0 | 0.012 |
| Congo (Democratic Republic of the) | 47.1 | 44.4 | 0.984 | 164 | 164 | 0 | 0.008 |
| Rwanda | 46.7 | 43.6 | 0.940 | 165 | 165 | 0 | 0.031 |
| Central African | | | | | | | |
| Republic | 45.0 | 42.3 | 0.952 | 166 | 166 | 0 | 0.025 |
| Mozambique | 43.6 | 42.0 | 0.938 | 167 | 167 | 0 | 0.032 |
| Sierra Leone | 43.4 | 40.2 | 0.973 | 169 | 168 | 1 | 0.014 |
| Angola | 43.3 | 40.1 | 0.973 | 170 | 169 | 1 | 0.014 |
| Lesotho | 42.9 | 42.1 | 0.870 | 168 | 170 | -2 | 0.070 |
| Zambia | 40.6 | 40.3 | 1.003 | 173 | 171 | 2 | -0.001 |
| Zimbabwe | 40.2 | 41.4 | 0.984 | 172 | 172 | 0 | 0.008 |
| Swaziland | 41.4 | 40.4 | 0.931 | 171 | 173 | -2 | 0.036 |

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